Combined Use of Vis/IR and Microwave Remote Sensing Data to Diagnose the Closure Relationship Between Land-Surface Water and Energy Balance

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Outline

- I. Land-atmosphere coupling and land-atmosphere interaction: An observation-based case example
- II. A key pathway of coupling: Closure of water and energy balance at the land-surface (the question)
- III.Current state of knowledge of the closure
- IV.Estimation of closure function: Mapping using remotely sensed observations
- V. Future enhanced observing systems

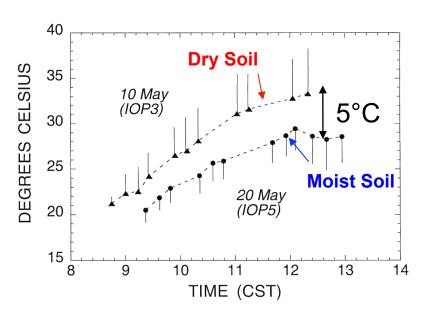
Land-Atmosphere Interaction: An Observation Case Example

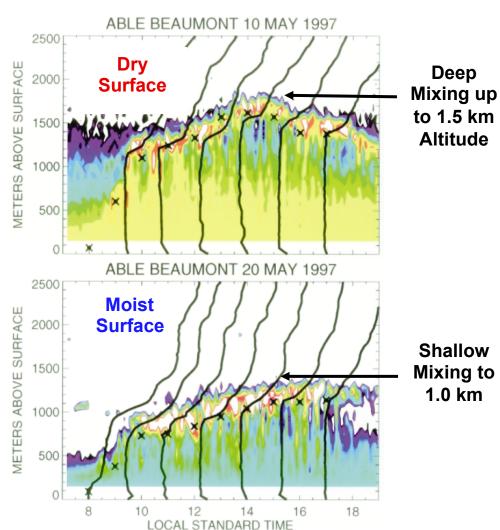
CASES' 97 Field Experiment, BAMS, 81(4), 2000.

May 10 Dry soil, clear, mild winds. $(L \cdot E \approx H)$

May 18 90 mm Rain

May 20 Moist soil, clear, mild winds. $(L \cdot E > H)$





H is the conduction of heat from land to atmosphere (turbulent sensible heat flux). $L \cdot E$ is the latent heat flux due to evaporation E. $L = 2.5 \times 10^6 \ [J \ kg^{-1}]$

Coupling of Land Moisture and Temperature Dynamics in Models

Land states θ , T_s

$$c\frac{\partial T}{\partial t} + \frac{\partial G}{\partial z} = 0$$

Temperature:
$$c \frac{\partial T}{\partial t} + \frac{\partial G}{\partial z} = 0$$

$$T_{s} = T(0,t)$$

$$T_{s} = T(0,t)$$

$$\frac{\partial \theta}{\partial t} + \frac{\partial q}{\partial z} = 0$$

Moisture:
$$\left. \frac{\partial \theta}{\partial t} + \frac{\partial q}{\partial z} = 0 \right. \qquad q(0,t) = -K \left[\frac{\partial \psi}{\partial z} + 1 \right]_{(z=0,t)} = P - E(\theta, T_s)$$

Coupling:

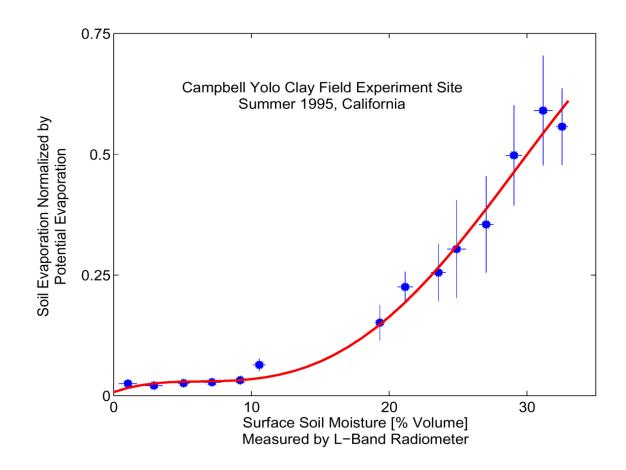
Soil heat capacity $c(\theta)$

Soil thermal conductivity $\kappa(\theta)$

Liquid water viscosity $K(\theta, T_s)$ and $\psi(\theta, T_s)$

Surface evaporation $E(\theta, T_s)$

Key Determinants of Land Evaporation



Latent heat flux (evaporation) links the water, energy, and carbon cycles at the surface.

All meteorological and hydrological models with land water and energy balance (LSM or SVATs) include (explicitly or implicitly) a form for the closure:

e.g., $\beta(\theta) = E/E_p$ or $r_g(\theta)$

Cahill et al., JAM(38), 1999.

Parameterized Closure Functions But Without Strong Evidence

(8.11)

NOAH

model grid cell and

$$\beta = \left(\frac{\Theta_1 - \Theta_w}{\Theta_{\text{ref}} - \Theta_w}\right)^f \tag{7}$$

represents a normalized soil moisture availability term where Θ_w is the wilting point and Θ_{ref} is the field capac-

$$F_4 = \sum_{i=1}^n \frac{(\Theta_i - \Theta_w) d_{z_i}}{(\Theta_{\text{ref}} - \Theta_w) \left(\sum_{j=1}^n d_{z_j}\right)},$$

functional type and the soil water potential of each soil layer

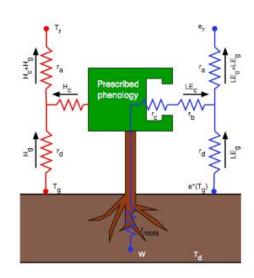
$$\beta_t = \sum_i w_i r_i \ge 1 \times 10^{-10} \tag{8.10}$$

where w_i is a soil dryness or plant wilting factor for layer i, and r_i is the fraction of roots in layer i.

The plant wilting factor w_i is

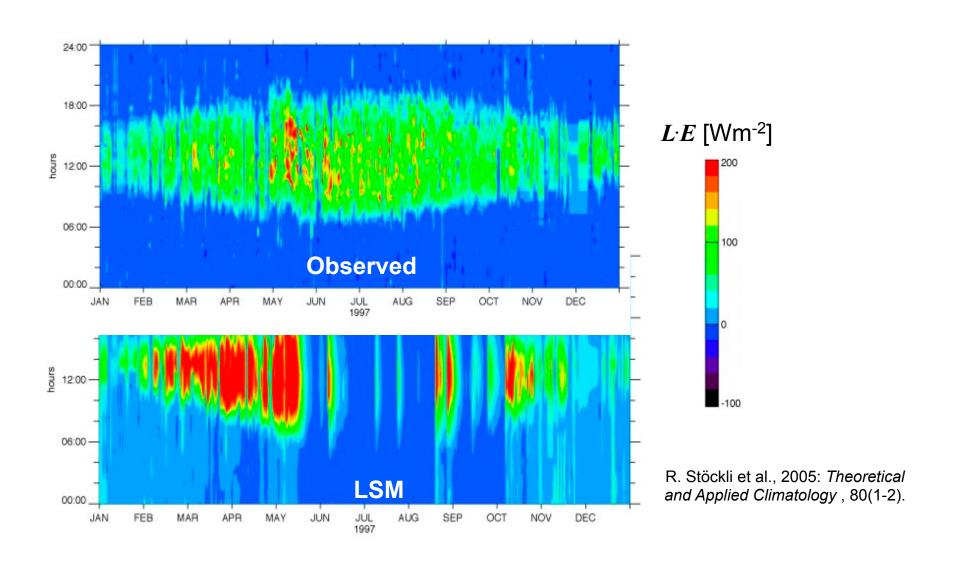
$$\beta = \begin{cases} \frac{\psi_{\max} - \psi_i}{\psi_{\max} + \psi_{sat,i}} & \text{for } T_i > T_f \end{cases}$$

$$\beta = \begin{cases} \frac{1}{4} \left[1 - \cos\left(\frac{\theta_1}{\theta_{fc}}\pi\right) \right]^2 & \theta_1 < \theta_{fc} \\ 1 & \theta_1 \ge \theta_{fc} & \text{or } q_{air} > \alpha q_{sat}(T_g) \end{cases}$$

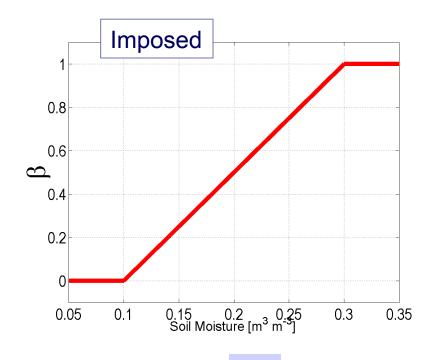


R. Stöckli and P. L. Vidale (ETH)

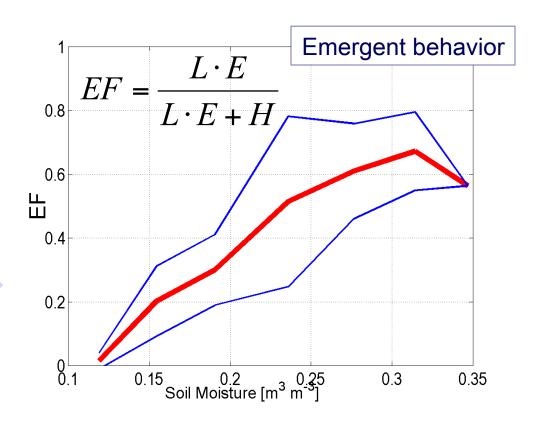
Consequences for LSMs



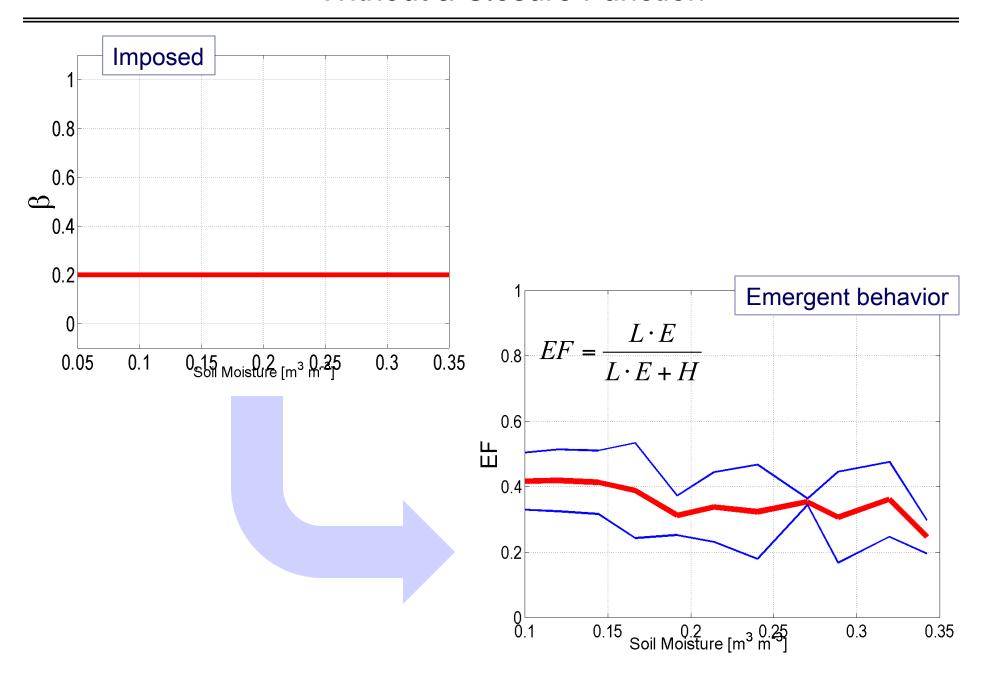
Shape of Closure Function: A Modeling Sensitivity Example



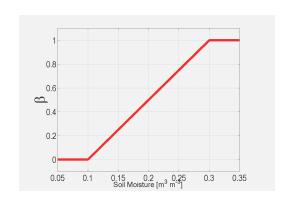
- Numerical model of soil heat and moisture diffusion (SHAW)
- 5 years of JJA simulations
- Durant, Oklahoma Mesonet micrometeorology

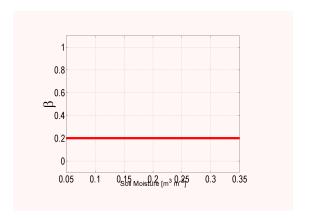


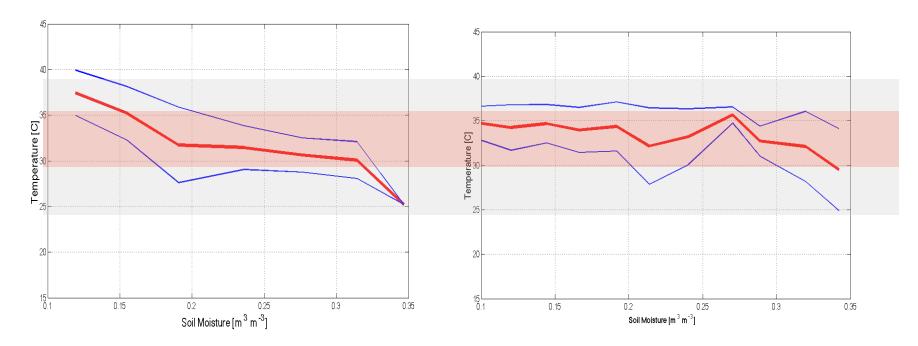
Without a Closure Function



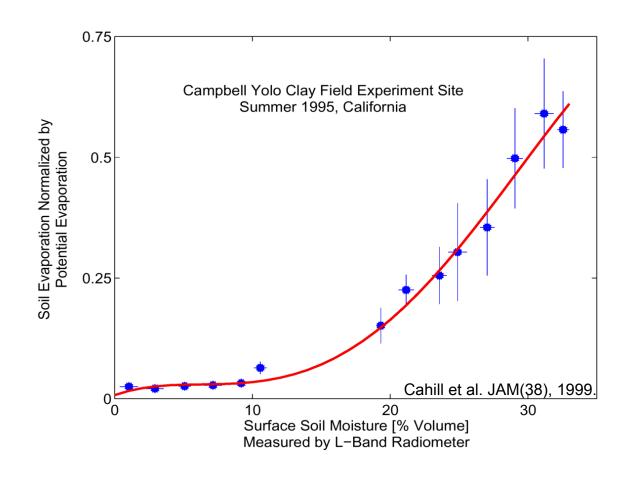
Consequences Land-Surface States (θ , T_s) Coupling







Key Determinants of Land Evaporation



To estimate this closure function, independent observations of

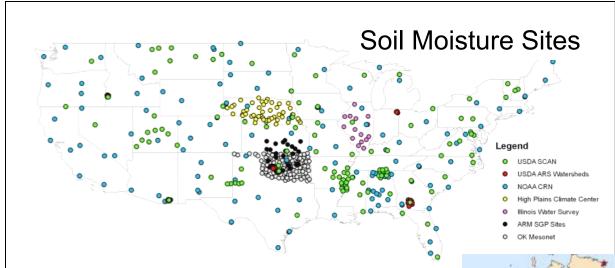
soil moisture state

and

evaporation flux

are required.

Surface Observing Networks



Note: Sites map may not be up-to-date. Purpose here is to show representative network density: North America example.

Need <u>independent</u> observations of the two variables.

To cover diverse vegetation, soil and seasonal conditions, <u>remotely sensed</u> observations need to be used.



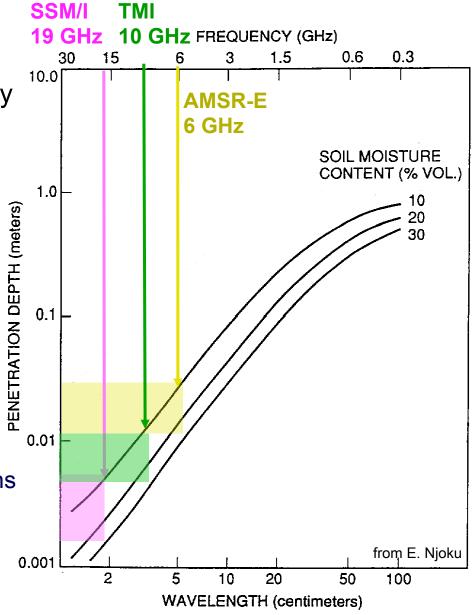
Remote Sensing of Key Variables

1. Surface soil moisture <u>state</u> through low-frequency microwave radiometry

2. Evaporation <u>flux</u> or through Vis/IR LST products

How to map the <u>flux</u> without:

- empirical relations
- use of soil and vegetation specifications
- precipitation, vegetation index, etc.



Signature of Moisture Constraints in Land Temperature Dynamics

1. Soil heat transport

 $c\frac{\partial T_s}{\partial t} + \frac{\partial G}{\partial z} = 0$ and $G = -\kappa \frac{\partial T_s}{\partial z}$

Conceptual

2. Surface energy balance

$$G(0,t) = R_s^{\downarrow} (1-a) + R_l^{\downarrow} - R_l^{\uparrow} (T_s) - H(T_s) - L \cdot E(\theta, T_s)$$

3. Fluxes:

$$R_l^{\uparrow}(T_s) = \varepsilon \sigma T_s^4 \qquad H(T_s) = \frac{\rho c_p}{r_a} (T_s - T_a) \qquad L \cdot E(\theta, T_s) = \frac{\rho L}{r_a} \beta(\theta) [q(T_s) - q_a]$$
soil moisture

Lead to linear T_s perturbation analysis result:

$$\frac{d\delta T_s}{d\tau} = -\left(\frac{r_a}{r_o} + 1 + \beta \frac{\Delta}{\gamma} + \frac{r_a}{r_g}\right) \cdot \delta T_s$$

Terms are **time-scales** of restoration to equilibrium.

where:

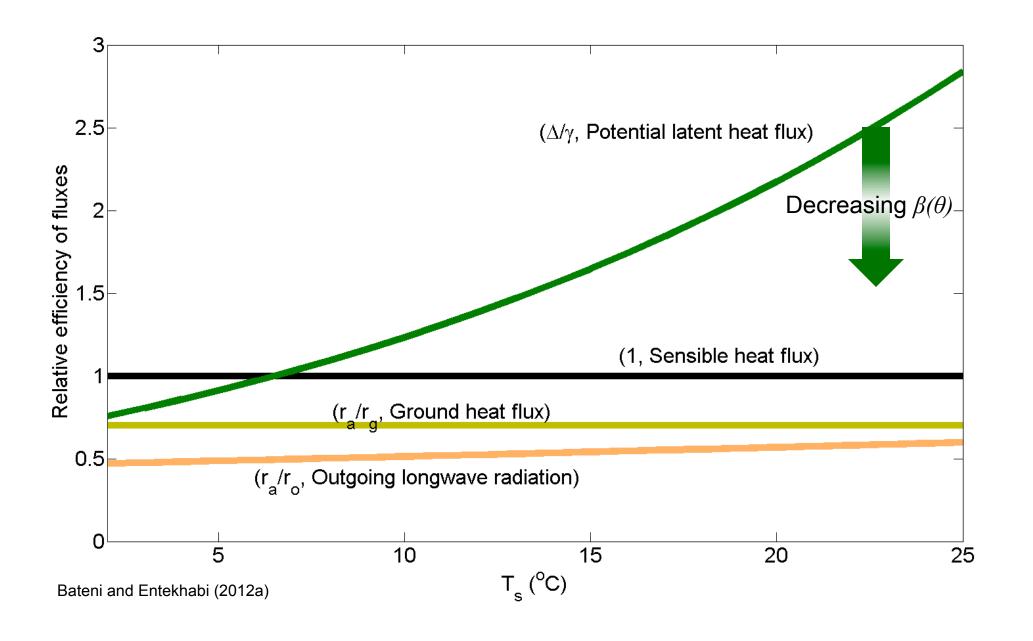
$$\tau = t / \left(P \cdot r_a / \sqrt{\omega} \cdot \rho \cdot c_p \right)$$

$$r_o = \rho \cdot c_p / 4 \cdot \varepsilon \cdot \sigma \cdot T_a^3$$
s of
$$r_g = \rho \cdot c_p / P \cdot \sqrt{\omega}$$

$$\Delta / \gamma = \left(\frac{de_s}{dT} \right) / \left(c_p \cdot P / \left(\frac{R_d}{R_v} \right) \cdot L \right)$$

Bateni and Entekhabi (2012a)

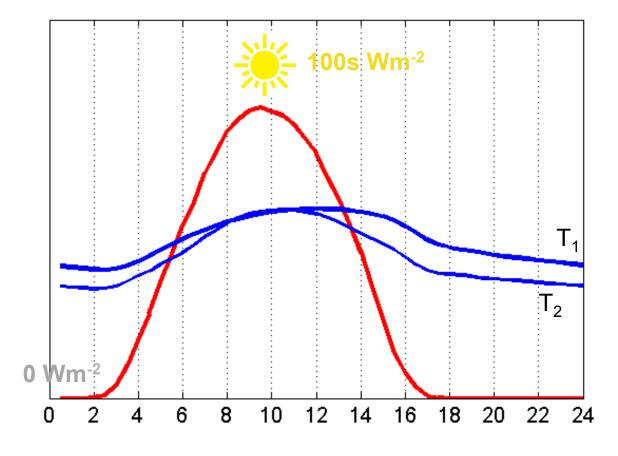
Relative Heat Transport Efficiencies



Instrumentation



A Natural and Global Energy-Excitation and Thermal-Response Instrument



The Evaporation Estimation Problem

State Equation:

Soil heat transport

$$c\frac{\partial T_s}{\partial t} + \frac{\partial G}{\partial z} = 0$$

Observation Equation:

$$T_{satellite} = \mathbf{M} \cdot \mathbf{T}_{s} + \mathbf{\epsilon}$$

Multiple platforms and resolutions

Surface energy balance

$$G(0,t) = -\kappa \frac{\partial T}{\partial z} \Big|_{(z=0,t)} = R_n - L \cdot E - H = R_n - \frac{1}{1 - EF} H$$
$$= R_n - \frac{1}{1 - EF} \rho c_p C_H U (T_s - T_a)$$

Unknowns (dimensionless):

 C_H Turbulent transfer coefficient scales LE+H varies seasonally.

EF Evaporative fraction partitions LE/(LE+H) varies daily.

- Does not require information about land cover, soil and vegetation or precipitation.
- Driven principally by remotely sensed diurnal cycle of land-surface temperature.

Variational Adjoint-State Data Assimilation

Observation equation:

$$T_{obs} = M \cdot T_s + \varepsilon$$

Multiple satellite platforms and resolutions (GOES and AVHRR LST products)

Minimize least-squares penalty function:

Remote sensing
$$\underbrace{Minimize}_{EF,C_H} \quad J = \begin{bmatrix} \mathbf{T}_{obs} - \mathbf{M} \cdot \mathbf{T}_s \end{bmatrix}^T \mathbf{G}_{\mathbf{T}_s}^{-1} \begin{bmatrix} \mathbf{T}_{obs} - \mathbf{M} \cdot \mathbf{T}_s \end{bmatrix} + \text{ Measurement misfit penalty }$$

$$+\left[EF-\overline{EF}\right]^TG_{EF}^{-1}\left[EF-\overline{EF}\right]+\left[C_H-\overline{C_H}\right]^TG_{CB}^{-1}\left[C_H-\overline{C_H}\right]$$
 Priors penalty

+
$$\int_{T} A^{T} \left[\frac{d\mathbf{T}_{s}}{dt} - \mathbf{F} \left(\mathbf{T}_{s}, EF, C_{H} \right) \right] dt$$
 Adjoined physical constraint

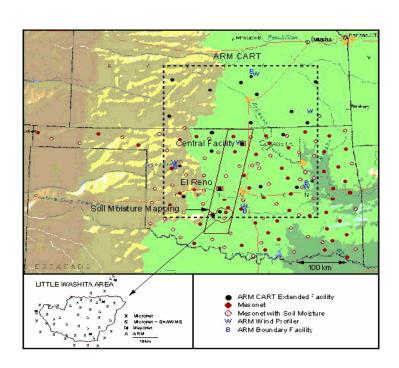
Forcing: $T_a \parallel U \parallel R^{\downarrow}$

EF varies daily. C_H varies monthly.

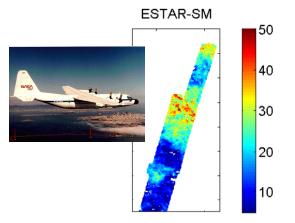
ARM/CART Site Application

Well-instumented DoE's Atmospheric Radiation Measurement (ARM) Cloud and Radiation Testbed (CART)

Mid-April to mid-October 1997

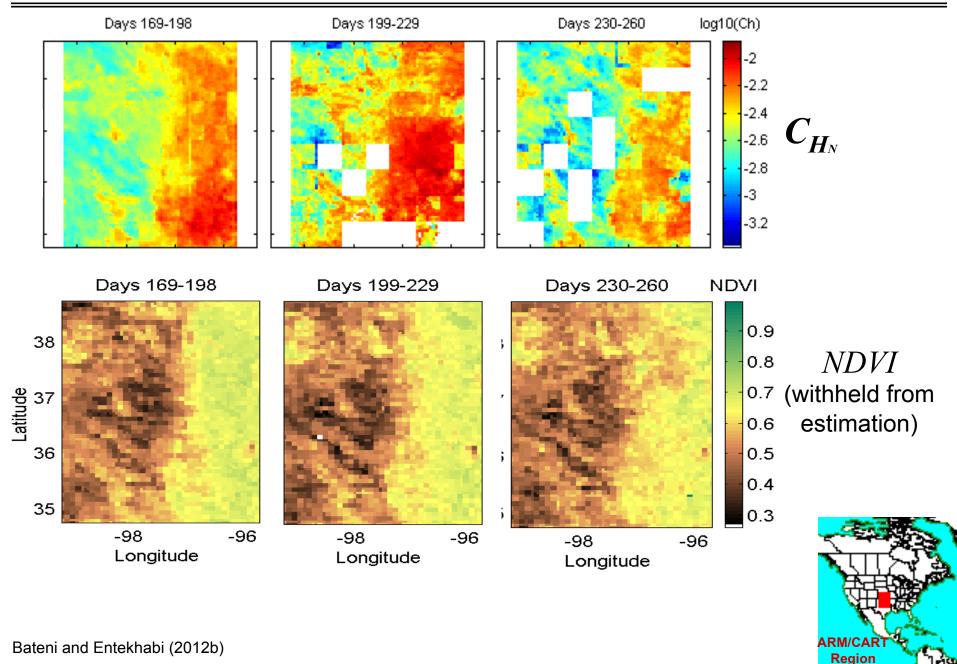


Southern Great Plain (SGP97)

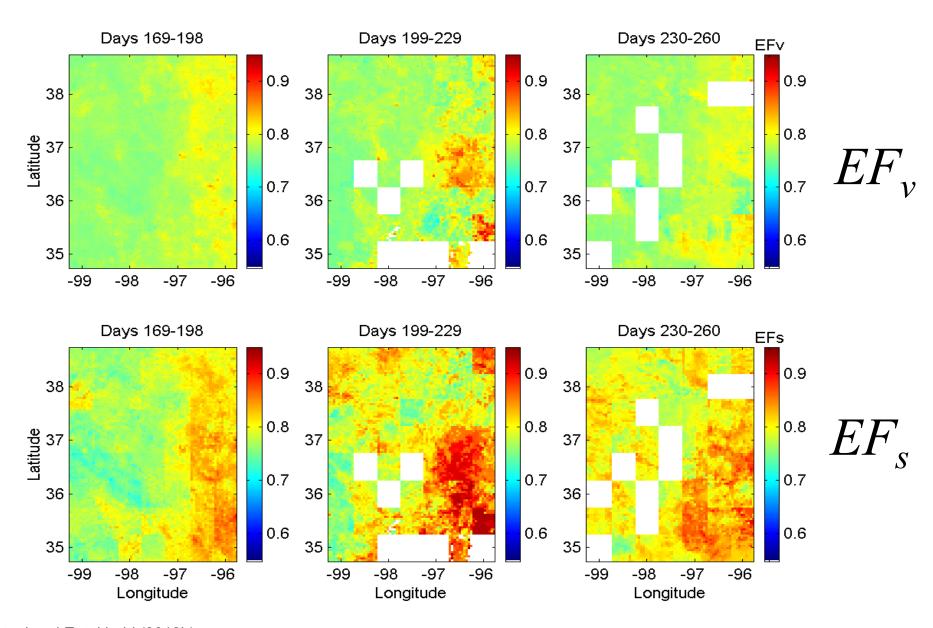


Airborne L-Band Radtiometer ESTAR (Electronically Scanned Thinned Array Radiometer)

Estimation of Turbulent Transfer Coefficient

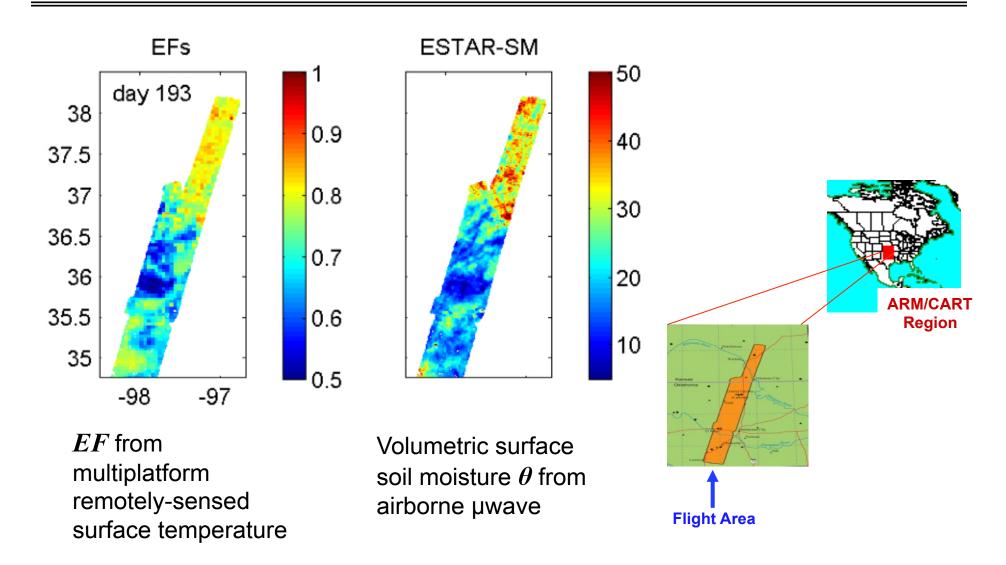


Components of Evaporative Fraction

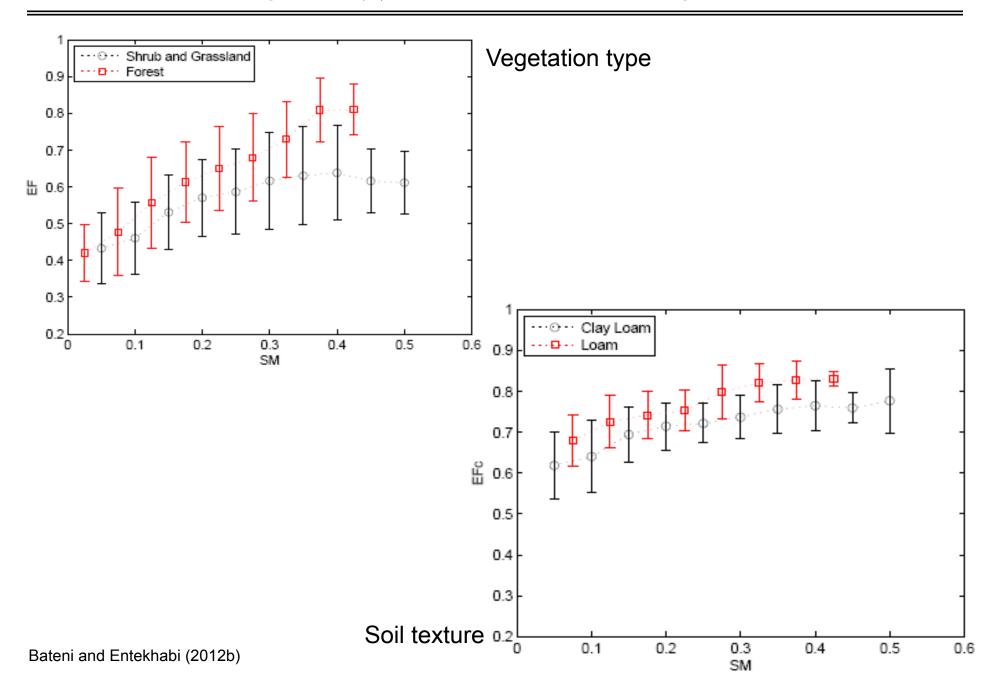


Bateni and Entekhabi (2012b)

Pair With Independent Airborne Soil Moisture Measurements



Example $EF(\theta)$ Closure Relationship Estimation



Scaling to Satellite Application

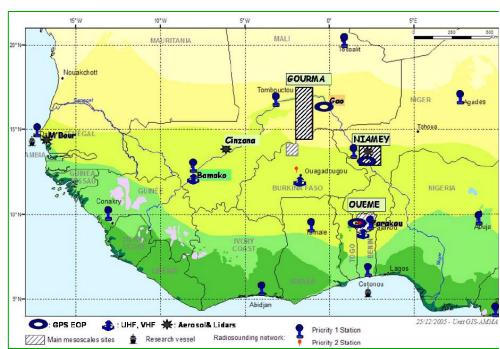
Satellites:

Meteosat Second Generation (MSG)
SEVIRI vis/IR instrument

SEVIRI Disc: 4 vis/NIR and 8 IR channels (geostationary; 15 mins interval)

LSA SAF LST Product





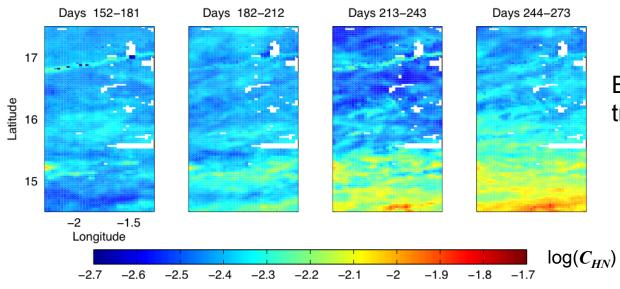
AMMA

AQUA's AMSR-E microwave imaging radiometer



AMSR-E microwave 6.9 GHz (56 km) 10.6 GHz (38 km)

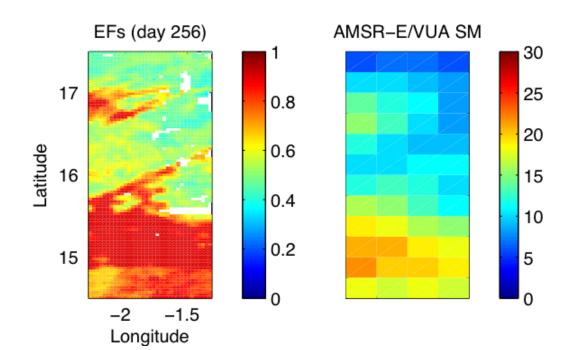
Retrievals Examples



Estimated neutral turbulent transfer coefficient C_{H_N}

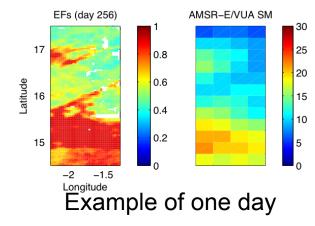
Example of one day's paired estimated evaporative fraction $\boldsymbol{\mathit{EF}}$ and

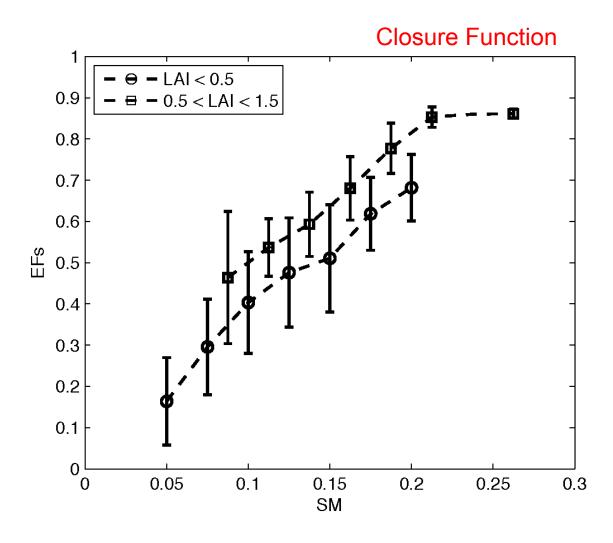
AMSR-E soil moisture



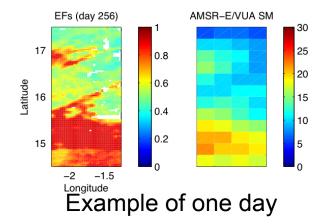
Bateni and Entekhabi (2012c)

EF_s Retrievals

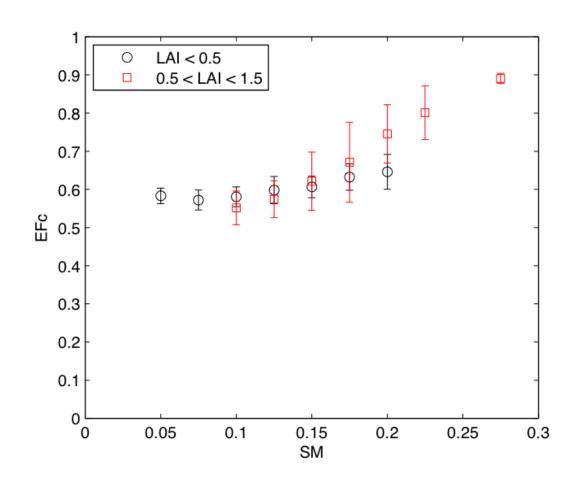




EF_c Retrievals

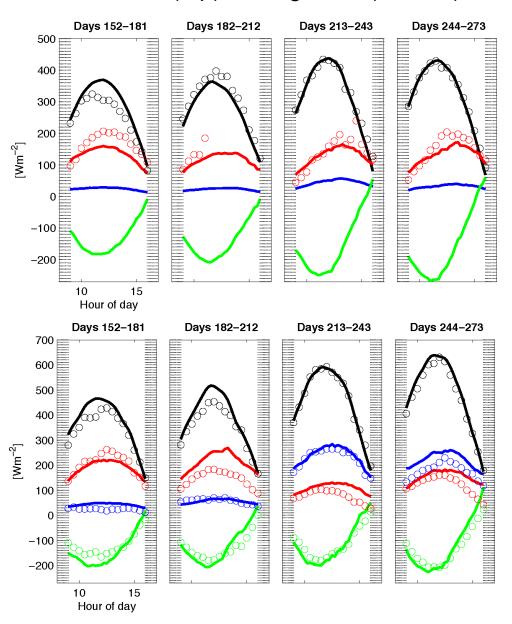


Closure Function



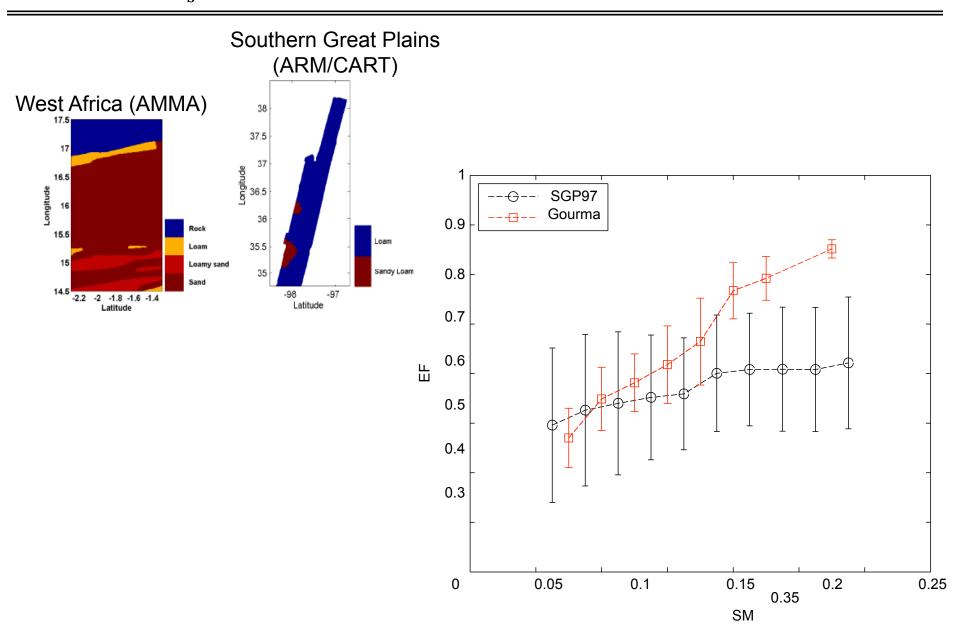
Test With AMMA Observations: Diurnal Cycle

Bamba (top) and Agoufou (Bottom)



FIFE 22 Flux Stations in 15 km x 15 km Area Daily average fluxes ρ RMSE [Wm-2] 0.98 19.77 LE Н 0.99 9.87 Half-hour fluxes ρ RMSE [Wm⁻²] 0.92 56.19 LE Н 0.90 31.18

*EF*_s versus Soil Moisture for W. Africa and US



Improved Observing Systems

Soil moisture with:

- Finer spatial resolution
- Increased vegetation penetration
- Deeper sensing depth
- Great soil moisture sensitivity
- Global coverage
- RFI detection and mitigation

is the rate-limiting information.

Development of next-generation sensing systems and data-sets





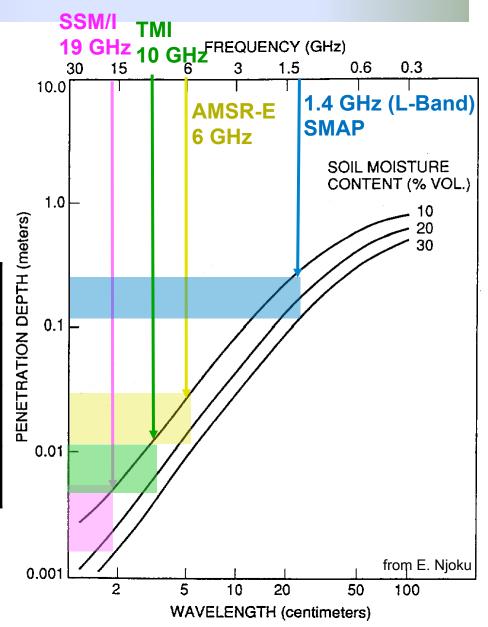
Comparison Across Microwave Frequencies



λ = Wavelengthn' '=Im{Refractive Index}Power Attenuates as e-z/d

$$d = \frac{\lambda}{4 \cdot \pi \cdot n''}$$

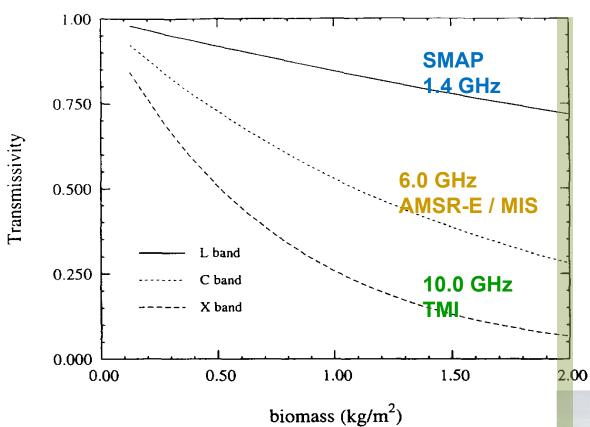
	SSM/I	19 GHz (50 km)	~1 mm
Existing Sensors	ТМІ	10 GHz (38 km)	~ 1 mm
	AMSR-E MIS	6 GHz (56 km)	~ 10 mm
Future	SMAP	1.4 GHz (9 km)	~ 50 mm





Vegetation Opacity at Microwave Frequencies





For Example:

SSM/I	(19 GHz)	100% Loss
TMI	(10 GHz)	95% Loss
AMSR-E	/ MIS (6 GHz)	75% Loss
SMAP	(1.4 GHz)	25% Loss



Project Development





US National Research Council Report: *Earth Science and Applications from Space: National Imperatives for the Next Decade and Beyond*

SMAP is one of four missions recommended by the NRC "Decadal Survey" for launch in the 2010–2013 time frame

- Feb 2008: NASA announces start of SMAP project
- SMAP is a directed-mission with heritage from HYDROS
- HYDROS risk-reduction performed during Phase A
 Cancelled 2005 due to NASA budgetary constraints
- SMAP now in Phase D (System Integration and Testing)

Tier 1: 2010–2013 Launch		
Soil Moisture Active Passive (SMAP)		
ICESAT II		
DESDynl		
CLARREO		
Tier 2: 2013–2016 Launch		
SWOT		
HYSPIRI		
ASCENDS		
GEO-CAFE		
ACE		
Tier 3: 2016–2020 Launch		
LIST		
PATH		
GRACE-II		
SCLP		
GACM		
3D-WINDS		

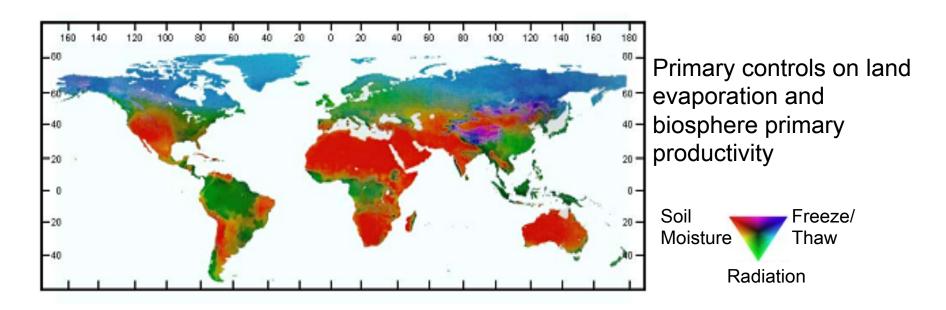


Mission Science Objectives



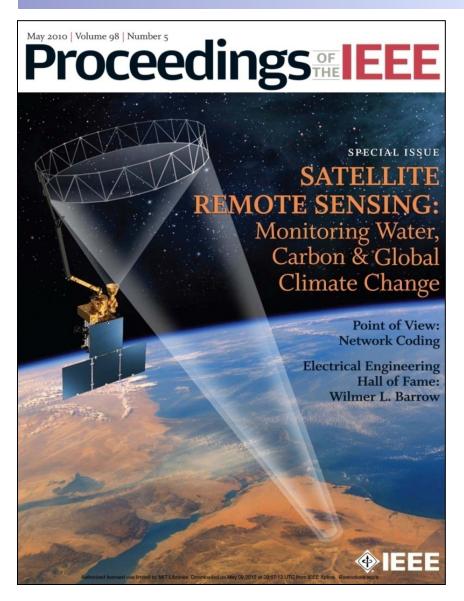
Global mapping of soil moisture and freeze/thaw state to:

- 1. Understand processes that *link* the terrestrial water, energy and carbon cycles
- 2. Estimate global water and energy fluxes at the land surface
- 3. Quantify net carbon flux in boreal landscapes
- 4. Enhance weather and climate forecast skill
- 5. Develop improved flood prediction and drought monitoring capability

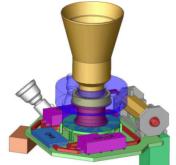




SMAP Mission Concept



- L-band unfocused SAR and radiometer system, offset-fed 6 m light-weight deployable mesh reflector. Shared feed for
 - > 1.26 GHz HH, VV, HV
 Radar at 1-3 km (30% nadir gap)
 - > 1.4 GHz H, V, 3rd and 4th Stokes Radiometer at 40 km
- Conical scan, fixed incidence angle across swath
- Contiguous 1000 km swath with 2-3 days revisit (8 day repeat)
- Sun-synchronous 6am/6pm orbit (680 km)
- · Launch October 31, 2014
- Mission duration 3 years



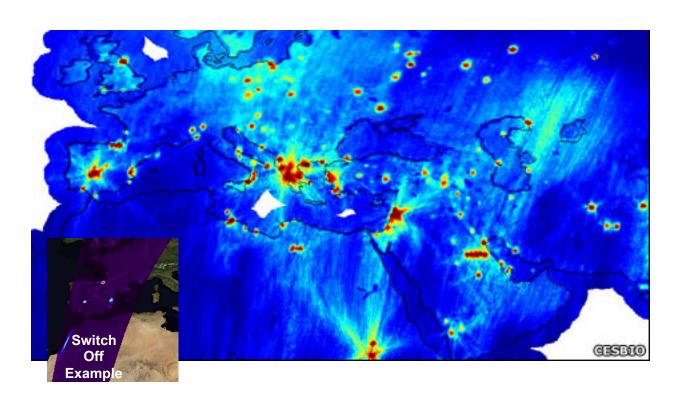


SMAP Approach to RFI Detection-Mitigation



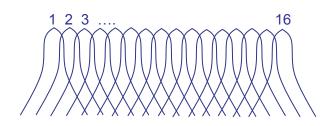
SMOS 1.4 GHz RFI

Aggressive
approach to
Radio-Frequency
Interference
(RFI) detection
and mitigation



SMAP's Multi-layer defense:

- Spectral and temporal resolution
- Acquire 3rd and 4th Stokes parameters
- Temporal kurtosis





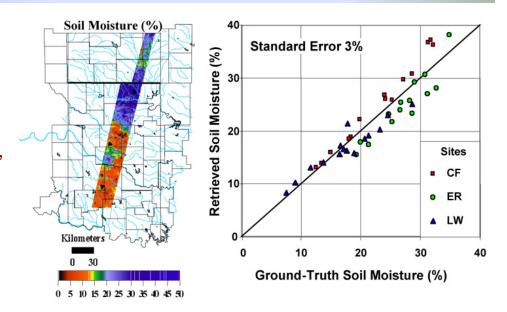
L-band Active/Passive Soil Moisture Mapping

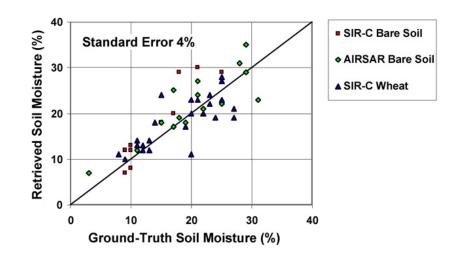


 Soil moisture retrieval algorithms are derived from a long heritage of microwave modeling and field experiments

MacHydro' 90, Monsoon' 91, Washita92, Washita94, SGP97, SGP99, SMEX02, SMEX03, SMEX04, SMEX05, CLASIC, SMAPVEX08, CanEx10, SMAP-Ex3

- Radiometer High accuracy (less influenced by roughness and vegetation) but coarser spatial resolution (40 km)
- Radar High spatial resolution (1-3 km) but more sensitive to surface roughness and vegetation
- Combined Radar-Radiometer product provides intermediate resolution and intermediate accuracy to meet science objectives





Summary

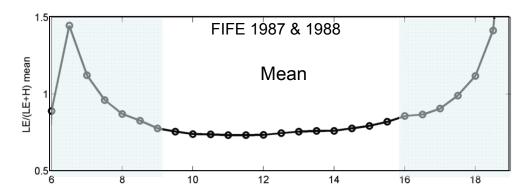
- The strength of land-atmosphere coupling is critically dependent on the surface closure function in the land water and energy balance Here $EF(\theta)$
- The shape of this function and its dependence on vegetation, soil and climate are largely unknown
- Lack of observation of this function can result in misleading representation and diagnosis of land-atmosphere interaction in NWP and climate models
- Way forward is independent and as much as possible model-free and observations-based estimation
- Synergy of microwave and LSA SAF LST products to address a critical science application/question

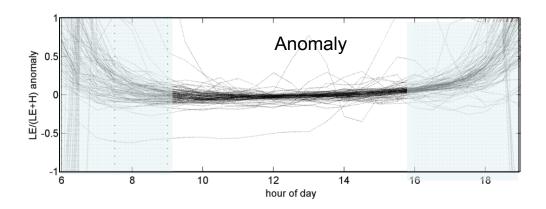
Self-Preservation of Evaporative Fraction (EF)

Convenient to estimate evaporation from evaporative fraction:

$$EF = \frac{LE}{LE + H}$$

- $0 \le EF \le 1$ depends on soil moisture θ
- Transferrable across models
- Separates diurnal (radiative) cycle from longer-term soil moisture variations
- Observed to be approximately constant during daytime

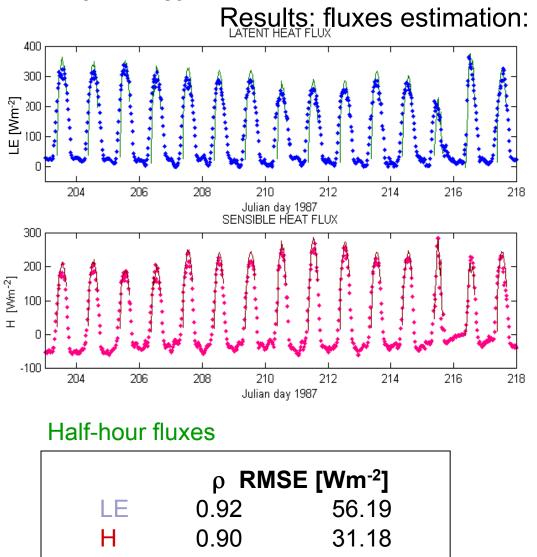


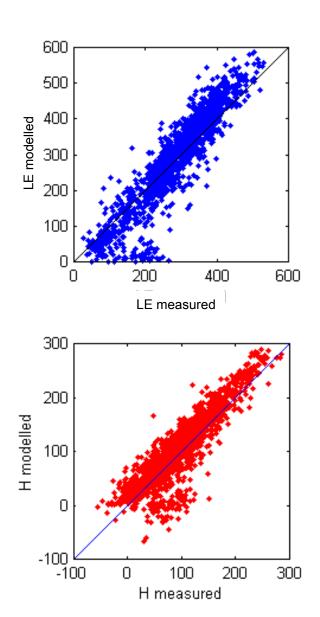


Shuttleworth et al., (1989) IAHS Pub. 186. Nichols & Cuenca, (1993) WRR 29. Crago & Brutsaert, (1996) JH 178. Crago, (1996) JH 180. Gentine & Entekhabi (2007), AFM 143.

Test With FIFE 1987 Observations: Hourly

22 Flux Stations in 15 km x 15 km Area





Test With FIFE 1987 Observations: Daily

